

# Chapter 1 - Minitab Details

## Case 1.1.1. Motivation and Creativity - A Randomized Experiment

**Step 1: Copy the data into a Minitab Worksheet:** use these steps:

File → Open Worksheet → Browse your local directory and upload the csv file, case0101.csv. The data will appear as two columns in Minitab with titles SCORE and TREATMENT.

**Step 2: Manipulate Data:**

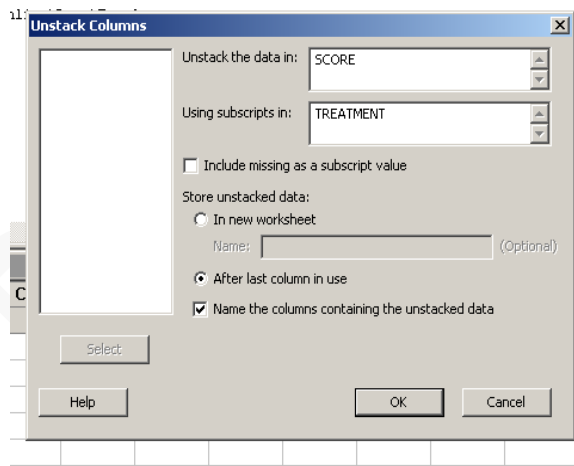
The data consists of EXTRINSIC and INTRINSIC treatment groups stacked one on top of the other. To see the data in the form shown in [Display 1.1 in R&S p. 2](#), you can un-stack the data.

To do this, go to Data → Unstack Columns → select variable C1 Score into the window/box labeled Unstack the Data in;

Select C2 TREATMEN into the window/box labeled Using Subscripts in; Store un-stacked data: click on After last column in use;

Un-tick Name the Columns containing the un-stacked data; click OK. This will create 2 new columns in your worksheet, C3 and C4, which are untitled.

You can go into the grey box in C3 and C4 above Row 1 and insert titles: Extrinsic group and Intrinsic group, respectively.



**Step 3: Display Data** similar to *Display 1.1 in R&S p. 2*:

Go to Data → Display Data; Select C4 Intrinsic group first, and then select C3 Extrinsic group, and click OK to produce a display on the output portion of your Minitab session as shown below:

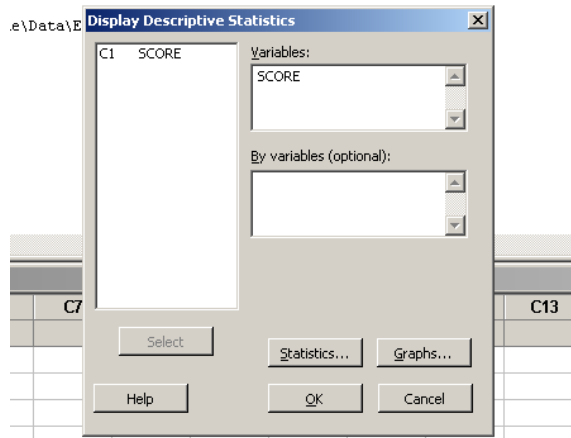
**Data Display**

Row	SCORE	TREATMENT	SCORE_EXTRINSIC	SCORE_INTRINSIC
1	5.00	EXTRINSIC	5.00	12.00
2	5.40	EXTRINSIC	5.40	12.00
3	6.10	EXTRINSIC	6.10	12.90
4	10.90	EXTRINSIC	10.90	13.60
5	11.80	EXTRINSIC	11.80	16.60
6	12.00	EXTRINSIC	12.00	17.20
7	12.30	EXTRINSIC	12.30	17.50
8	14.80	EXTRINSIC	14.80	18.20
9	15.00	EXTRINSIC	15.00	19.10
10	16.80	EXTRINSIC	16.80	19.30
11	17.20	EXTRINSIC	17.20	19.80
12	17.20	EXTRINSIC	17.20	20.30
13	17.40	EXTRINSIC	17.40	20.50
14	17.50	EXTRINSIC	17.50	20.60
15	18.50	EXTRINSIC	18.50	21.30
16	18.70	EXTRINSIC	18.70	21.60
17	18.70	EXTRINSIC	18.70	22.10
18	19.20	EXTRINSIC	19.20	22.20
19	19.50	EXTRINSIC	19.50	22.60
20	20.70	EXTRINSIC	20.70	23.10
21	21.20	EXTRINSIC	21.20	24.00
22	22.10	EXTRINSIC	22.10	24.30
23	24.00	EXTRINSIC	24.00	26.70
24	12.00	INTRINSIC		29.70
25	12.00	INTRINSIC		
26	12.90	INTRINSIC		
27	13.60	INTRINSIC		
28	16.60	INTRINSIC		
29	17.20	INTRINSIC		
30	17.50	INTRINSIC		
31	18.20	INTRINSIC		
32	19.10	INTRINSIC		
33	19.30	INTRINSIC		
34	19.80	INTRINSIC		
35	20.30	INTRINSIC		
36	20.50	INTRINSIC		
37	20.60	INTRINSIC		
38	21.30	INTRINSIC		
39	21.60	INTRINSIC		
40	22.10	INTRINSIC		
41	22.20	INTRINSIC		
42	22.60	INTRINSIC		
43	23.10	INTRINSIC		
44	24.00	INTRINSIC		
45	24.30	INTRINSIC		
46	26.70	INTRINSIC		
47	29.70	INTRINSIC		

#### Step 4: Summary Statistics for both groups:

Go to Stat → Basic Statistics → Display Descriptive Statistics;

Select C4 Intrinsic group; click OK, to see this display on the output portion:



#### Descriptive Statistics: SCORE\_INTRINSIC

Variable	N	N*	Mean	SE Mean	StDev	Minimum	Q1	Median
SCORE_INTRINSIC	24	0	19.883	0.906	4.440	12.000	17.275	20.400
Variable	Q3	Maximum						
SCORE_INTRINSIC	22.500	29.700						

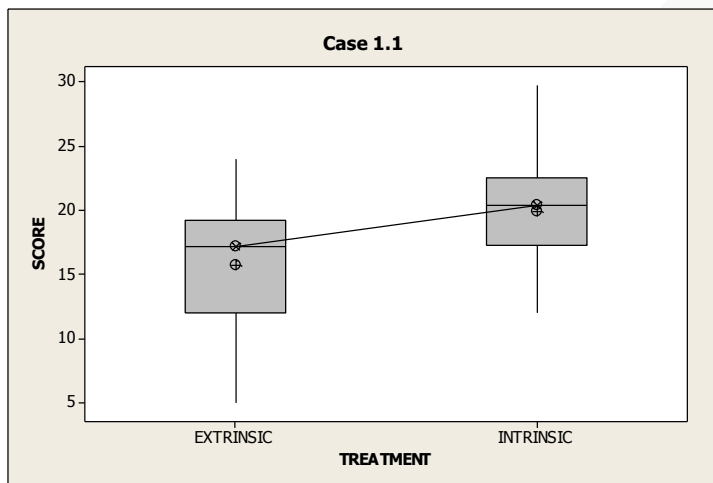
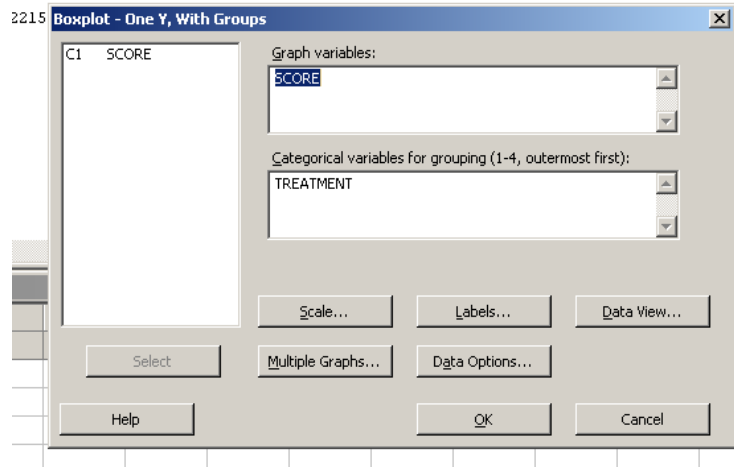
Next, repeat for the second group: Go to Stat → Basic Statistics → Display Descriptive Statistics; Select C3 Extrinsic group; click OK, to see this display on the output portion:

#### Descriptive Statistics: SCORE\_EXTRINSIC

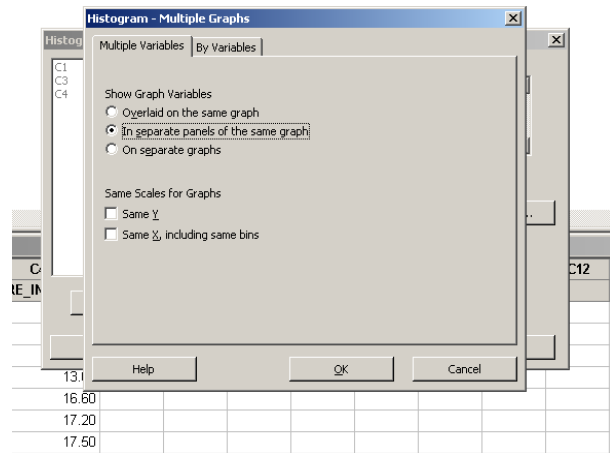
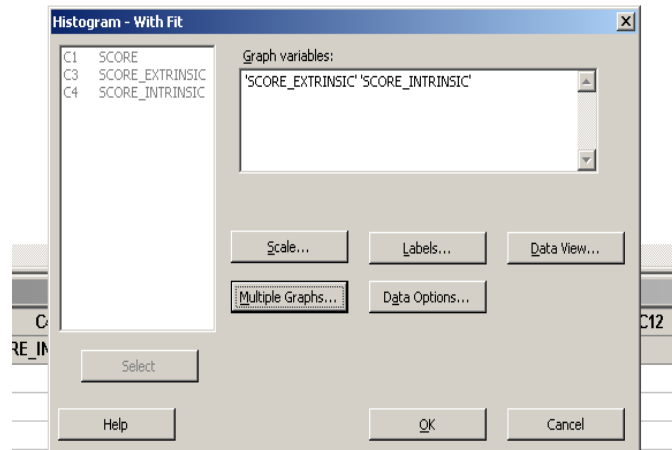
Variable	N	N*	Mean	SE Mean	StDev	Minimum	Q1	Median	Q3
SCORE_EXTRINSIC	23	0	15.74	1.10	5.25	5.00	12.00	17.20	19.20
Variable	Maximum								
SCORE_EXTRINSIC	24.00								

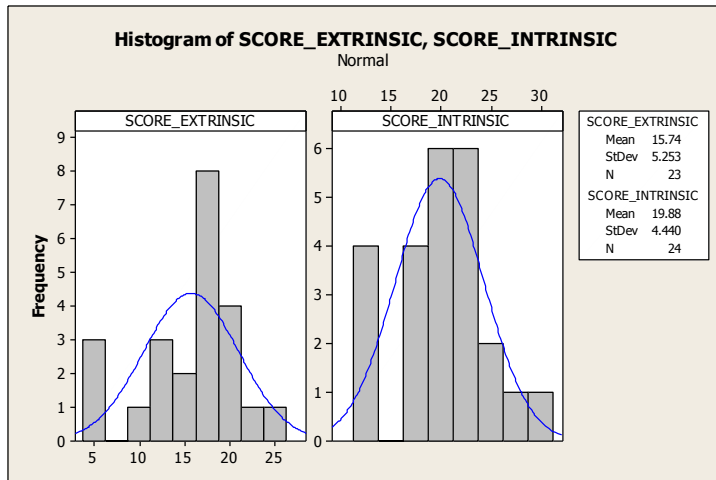
#### Step 5: Some graphs: Side-by-side Box-plots.

Click on Graph → Boxplot → Select One Y with Groups; Select C1 SCORE in the left window/box, and see it appear in the box Graph Variables on the right. Next, click on the box on the right, Categorical Variables for Grouping; select C2 TREATMENT in the left box, and see it appear in the box Categorical Variables for Grouping on the right. Click on Data View and select the following: Interquartile Range box, Outlier symbols, Median symbol, Mean symbol, Median connect line. Click OK, and see the following plot:



**Histograms:** Go to Graph→Histogram; select with fit; Select SCORE\_EXTRINSIC and SCORE\_INTRINSIC in the box on the left into the Graph variables box on the right; select Multiple Graphs in separate panels on the same graph; and click OK, to get this plot.





**Stem-and-leaf plots:** Go to Graph → Stem-and-leaf ; select SCORE\_EXTRINSIC and SCORE\_INTRINSIC in the box on the left into the Graph variables box on the right; and click Ok to see the following:

**Stem-and-Leaf Display: SCORE\_EXTRINSIC, SCORE\_INTRINSIC**

Stem-and-leaf of SCORE\_EXTRINSIC N = 23

Leaf Unit = 1.0

```

2 0 55
3 0 6
3 0
5 1 01
7 1 22
9 1 45
(5) 1 67777
9 1 88899
4 2 01
2 2 2
1 2 4

```

Stem-and-leaf of SCORE\_INTRINSIC N = 24

Leaf Unit = 1.0

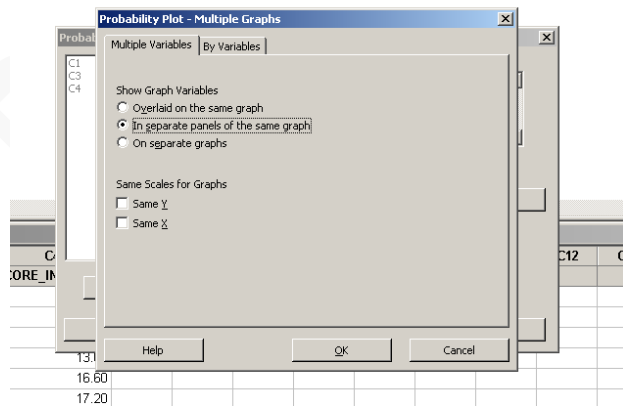
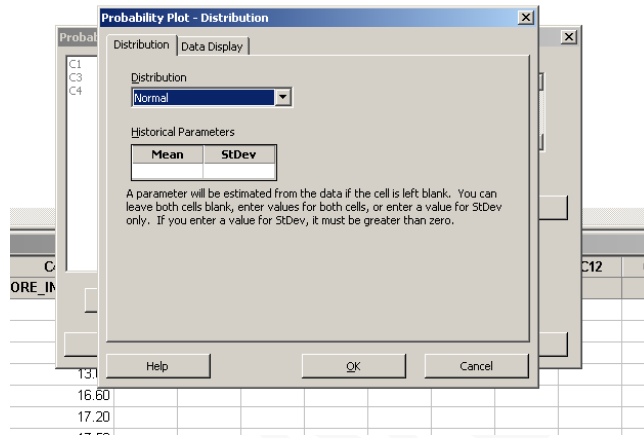
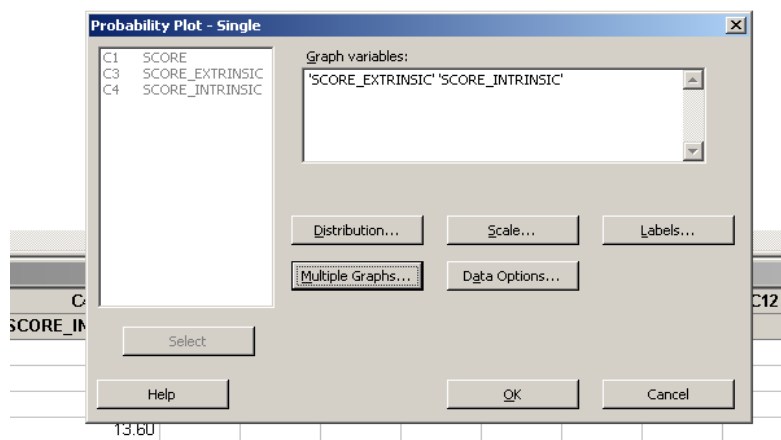
```

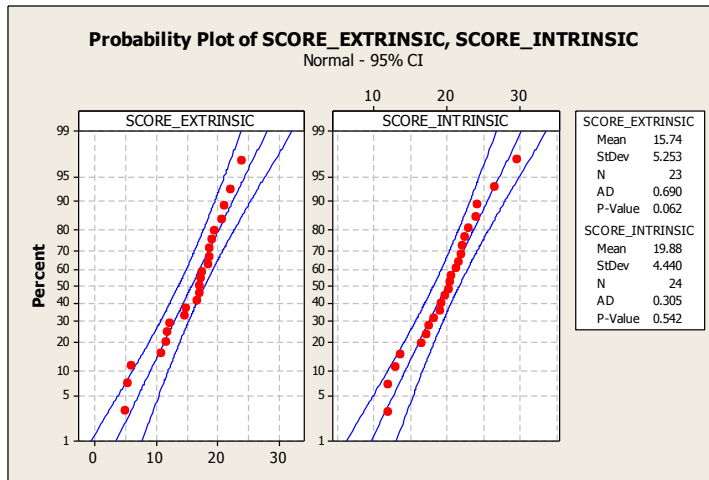
4 1 2223
4 1
7 1 677
11 1 8999
(5) 2 00011
8 2 2223
4 2 44
2 2 6
1 2 9

```

**Step 6: Normal Probability Plots**

Go to Graphs → Probability Plot → Single; Select the two variables from the left into the right hand side box; select Multiple Graphs – in separate panels of the same graph and click OK.



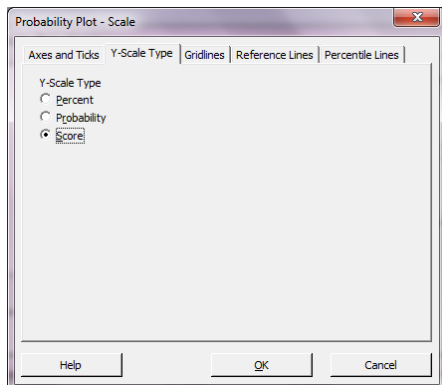


**Note:** The y-axis shows percent and values go from 0 to 1. In Minitab, this is the default option under Graphs → Probability Plot. This is a Normal Probability Plot. It is not a Quantile-Quantile or Q-Q plot.

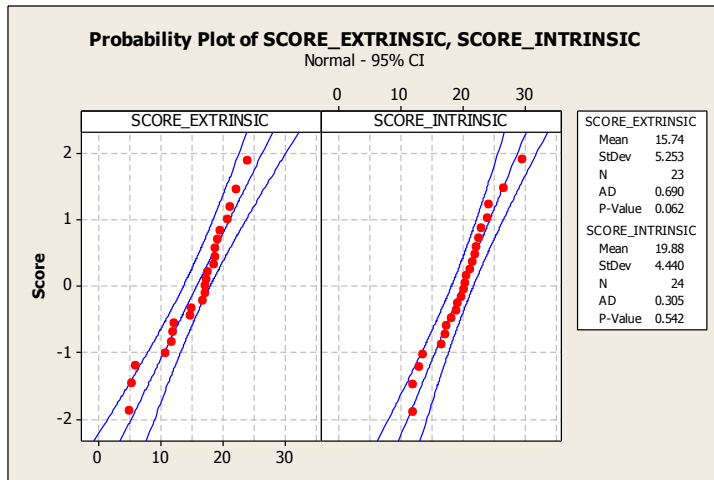
To create a **Normal Q-Q plot**, do the following steps.

Go to Graphs → Probability Plot → Single; Select the two variables from the left into the right hand side box; select Multiple Graphs – in separate panels of the same graph and click OK.

Click on Scale, and **click on Y-Scale Type and click on Score.**





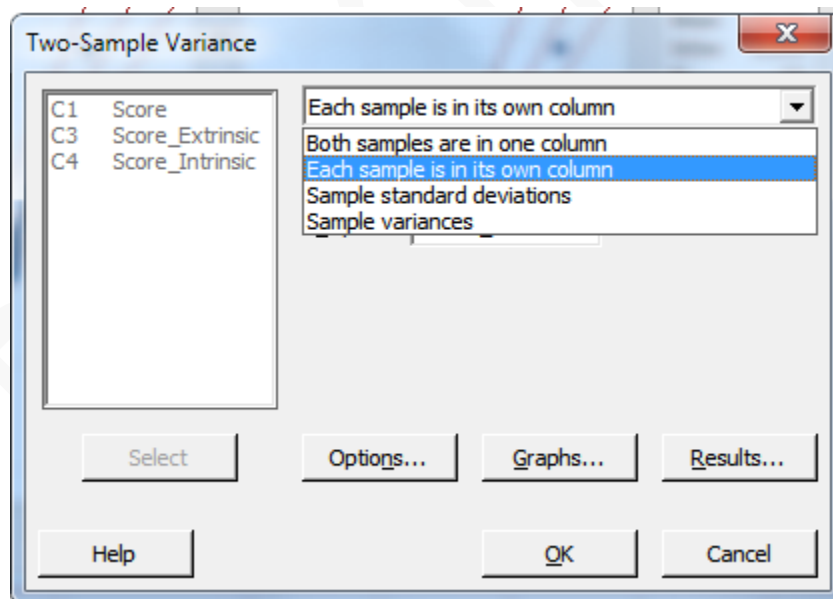


Note that the y-axis shows z-scores and not percents in this Q-Q plot.

**Note:** The information in the Probability plot and the Q-Q plot, about whether points lie along a straight line, is similar. You can use either one to assess normality, as long as you label/understand the plot/axes correctly.

#### Test for equal variances (needs normality assumption on both samples to be valid)

Go to Stat → Basic Statistics → 2 Variances; select two variables into the box on the right; click on Options and Hypothesized Ratio, select Variance 1/Variance 2 and click OK.



**Two-Sample Variance: Options**

Ratio: (sample 1 variance) / (sample 2 variance)

Confidence level: 95.0

Hypothesized ratio: 1

Alternative hypothesis: Ratio  $\neq$  hypothesized ratio

☐ Use test and confidence intervals based on normal distribution

Help OK Cancel

Session

**Test and CI for Two Variances: Score\_Extrinsic, Score\_Intrinsic**

Method

Null hypothesis      Variance(Score\_Extrinsic) / Variance(Score\_Intrinsic) = 1  
 Alternative hypothesis      Variance(Score\_Extrinsic) / Variance(Score\_Intrinsic)  $\neq$  1  
 Significance level       $\alpha$  = 0.05

Statistics

Variable	N	StDev	Variance	95% CI for Variances
Score_Extrinsic	23	5.253	27.590	(15.433, 58.939)
Score_Intrinsic	24	4.440	19.709	(11.517, 39.995)

Ratio of standard deviations = 1.183  
 Ratio of variances = 1.400

95% Confidence Intervals

Method	CI for StDev Ratio	CI for Variance Ratio
Bonett	(0.731, 1.884)	(0.535, 3.550)
Levene	(0.659, 2.045)	(0.434, 4.180)

Tests

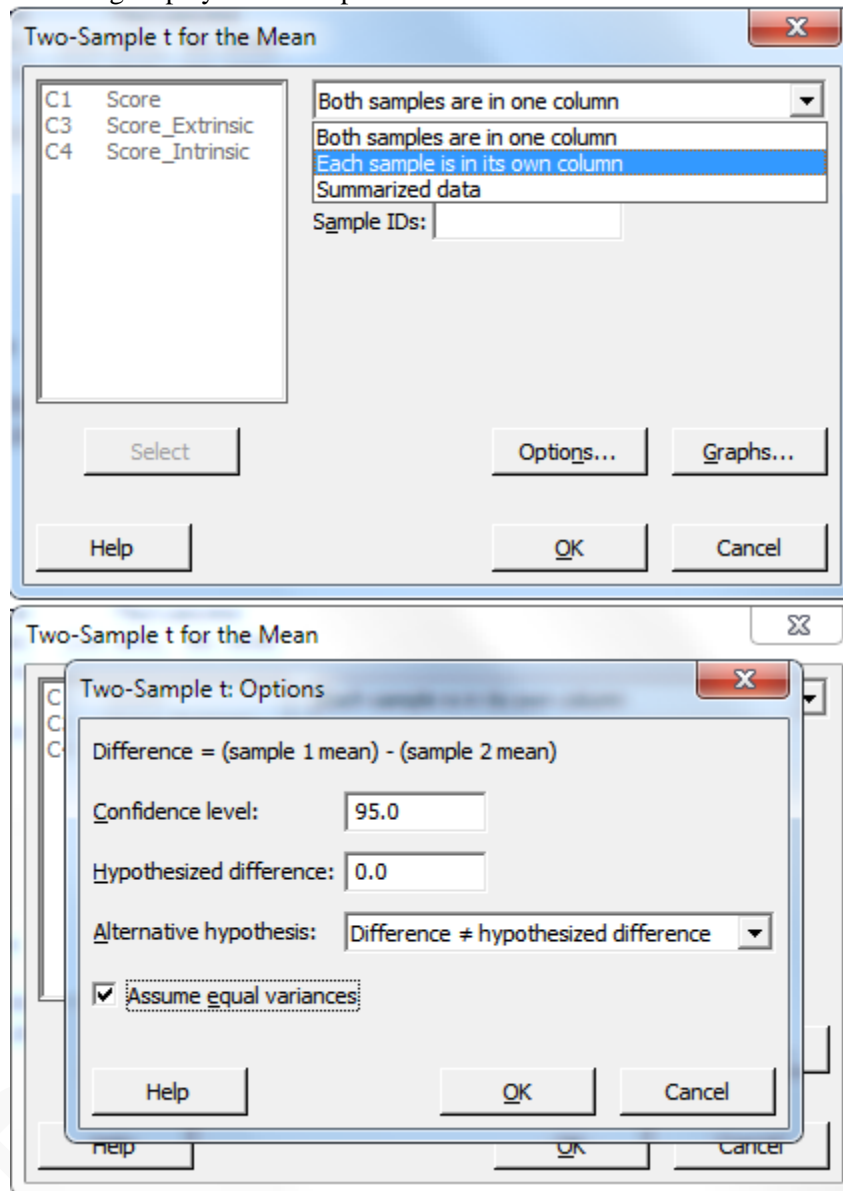
Method	DF1	DF2	Statistic	P-Value
Bonett	—	—	—	0.441
Levene	1	45	0.36	0.552

**Two-sample t-test** : we are doing the pooled t-test here (needs normality and equal variances assumptions to be valid)

Go to Stat → Basic Statistics → 2-Sample t;

Select Samples in two different columns;

Select C4 Intrinsic group into the window/box for the First group, and select C3 Extrinsic group into the window/box for the Second group; select Assume equal variances, and click OK to see the following display in the Output area:



Two-sample T for SCORE\_INTRINSIC vs SCORE\_EXTRINSIC

	N	Mean	StDev	SE Mean
SCORE_INTRINSIC	24	19.88	4.44	0.91
SCORE_EXTRINSIC	23	15.74	5.25	1.1

Difference =  $\mu$  (SCORE\_INTRINSIC) -  $\mu$  (SCORE\_EXTRINSIC)

Estimate for difference: 4.14

95% CI for difference: (1.29, 7.00)

T-Test of difference = 0 (vs not =): T-Value = 2.93 P-Value = 0.005 DF = 45

Both use Pooled StDev = 4.8541

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**Note:** You should compare the results you obtained here with the Statistical Conclusion in **R&S p. 3.**

**Step 7: Discussion of Results and Scope of Inference:**

The observed p-value of the test is 0.005, which is less than the pre-chosen level of significance  $\alpha = 0.05$ . Therefore, we reject the null hypothesis at the 5% level of significance.

## Case 1.1.2. Sex Discrimination in Employment - An Observational Study

**Step 1: Copy the data into a Minitab Worksheet:** use these steps: File → Open Worksheet → Browse your local directory and upload the csv file case0102.csv. The data consists of SALARY for FEMALES and those for MALES stacked one on top of the other.

**Step 2:** you can un-stack the data. To do this, go to Data → Unstack Columns → select variable C1 Salary into the window/box labeled Unstack the Data in;

Select C2 SEX into the window/box labeled Using Subscripts in; Store un-stacked data: click on After last column in use;

Un-tick Name the Columns containing the un-stacked data; click OK.

This will create 2 new columns in your worksheet, C3 and C4, which are titled SALARY\_FEMALE and SALARY\_MALE

### Step 3: Display Data

Row	SALARY_FEMALE	SALARY_MALE
1	3900	4620
2	4020	5040
3	4290	5100
4	4380	5100
5	4380	5220
6	4380	5400
7	4380	5400
8	4380	5400
9	4440	5400
10	4500	5400
11	4500	5700
12	4620	6000
13	4800	6000
14	4800	6000
15	4800	6000
16	4800	6000
17	4800	6000
18	4800	6000
19	4800	6000
20	4800	6000
21	4800	6000
22	4800	6000
23	4980	6000
24	5100	6000
25	5100	6300
26	5100	6600
27	5100	6600
28	5100	6600
29	5100	6840
30	5160	6900
31	5220	6900
32	5220	8100
33	5280	
34	5280	
35	5280	
36	5400	
37	5400	
38	5400	
39	5400	
40	5400	

41	5400
42	5400
43	5400
44	5400
45	5400
46	5400
47	5400
48	5520
49	5520
50	5580
51	5640
52	5700
53	5700
54	5700
55	5700
56	5700
57	6000
58	6000
59	6120
60	6300
61	6300

#### Step 4: Summary Statistics for both groups:

Go to Stat → Basic Statistics → Display Descriptive Statistics;

Select Salary\_Female and Salary\_Male ; click OK, to see this display on the output portion:

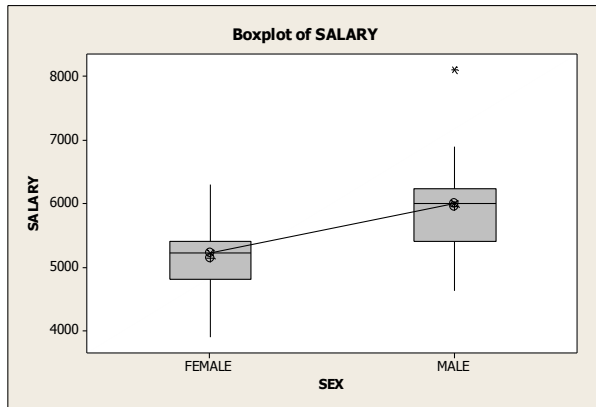
#### Descriptive Statistics: SALARY\_FEMALE, SALARY\_MALE

Variable	N	N*	Mean	SE Mean	StDev	Minimum	Q1	Median	Q3
SALARY_FEMALE	61	0	5138.9	69.1	539.9	3900.0	4800.0	5220.0	5400.0
SALARY_MALE	32	0	5957	122	691	4620	5400	6000	6225

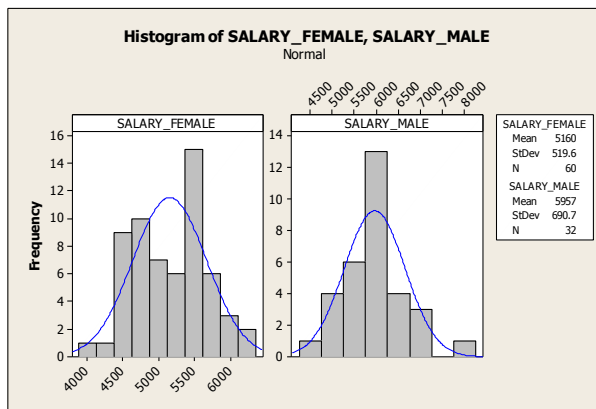
Variable	Maximum
SALARY_FEMALE	6300.0
SALARY_MALE	8100

#### Step 5: Some graphs: Side-by-side Box-plots.

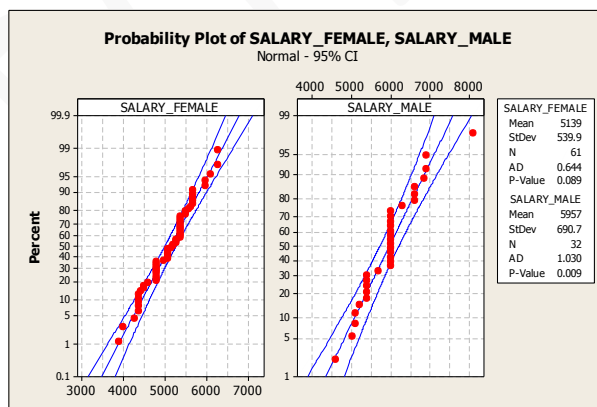
Click on Graph → Boxplot → Select One Y with Groups; Select C1 SALARY in the left window/box, and see it appear in the box Graph Variables on the right. Next, click on the box on the right, Categorical Variables for Grouping; select C2 SEX in the left box, and see it appear in the box Categorical Variables for Grouping on the right. Click on Data View and select the following: Interquartile Range box, Outlier symbols, Median symbol, Mean symbol, Median connect line. Click OK, and see the following plot:



**Histograms:** Go to Graph→Histogram; select With fit; Select SALARY\_FEMALE and SALARY\_MALE in the box on the left into the Graph variables box on the right; select Multiple Graphs in separate panels on the same graph; and click OK, to get this plot.



**Step 6: Two-sample t-test:** we are doing the pooled t-test here. We first verify whether assumptions for this procedure are valid.



## Test and CI for Two Variances: Salary\_Female, Salary\_Male

### Method

Null hypothesis  $\sigma(\text{Salary\_Female}) / \sigma(\text{Salary\_Male}) = 1$   
Alternative hypothesis  $\sigma(\text{Salary\_Female}) / \sigma(\text{Salary\_Male}) \neq 1$   
Significance level  $\alpha = 0.05$

### Statistics

Variable	N	StDev	Variance	95% CI for StDevs
Salary_Female	61	539.871	291460.328	(463.067, 650.308)
Salary_Male	32	690.733	477112.500	(499.792, 1016.906)

Ratio of standard deviations = 0.782

Ratio of variances = 0.611

|

### 95% Confidence Intervals

Method	CI for StDev Ratio	CI for Variance Ratio
Bonett	(0.560, 1.167)	(0.313, 1.363)
Levene	(0.624, 1.361)	(0.389, 1.853)

### Tests

Method	DF1	DF2	Test	
			Statistic	P-Value
Bonett	—	—	—	0.180
Levene	1	91	0.19	0.666

Go to Stat → Basic Statistics → 2-Sample t; Select Samples in two different columns; Select Salary\_Female in the window/box for the First group, and select Salary\_Male group into the window/box for the Second group; select Assume equal variances, and click OK to see the following display in the Output area:

### Two-Sample T-Test and CI: SALARY, SEX

#### Two-sample T for SALARY

SEX	N	Mean	StDev	SE Mean
FEMALE	61	5139	540	69
MALE	32	5957	691	122

Difference =  $\mu(\text{FEMALE}) - \mu(\text{MALE})$

Estimate for difference: -818

95% CI for difference: (-1076, -560)

T-Test of difference = 0 (vs not =): T-Value = -6.29 P-Value = 0.000 DF = 91

Both use Pooled StDev = 595.5707



Try this:

Go to Stat → Basic Statistics → 2-Sample t; Select Samples in two different columns; Select Salary\_Male in the window/box for the First group, and select Salary\_Female group into the window/box for the Second group; select Assume equal variances, and click OK to see the numbers given in **R&S**.